Parallel Job Schedulings

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□ Schedule:

allocation of tasks to processors

- Dynamic scheduling
 - A single queue of ready processes
 - A physical processor accesses the queue to run the next process
 - The binding of processes to processors is not tight
- Static scheduling
 - Only one process per processor
 - Speedup can be predicted



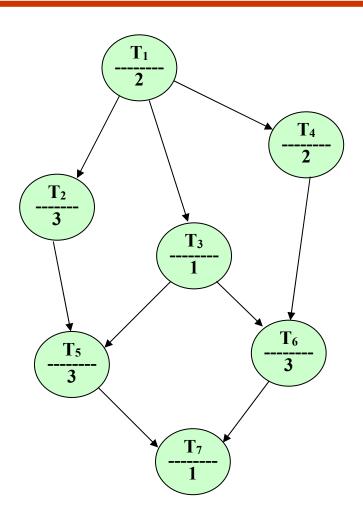
Static scheduling

- An application is modeled as an directed acyclic graph (DAG)
- The system is modeled as a set of homogeneous processors
- An optimal schedule: NP-complete
- □ Scheduling in the runtime system
 - Multithreads: functions for thread creation, synchronization, and termination
 - Parallelizing compilers: parallelism from the loops of the sequential programs
- □ Scheduling in the OS
 - Multiple programs must co-exist in the same system
- □ Administrative scheduling



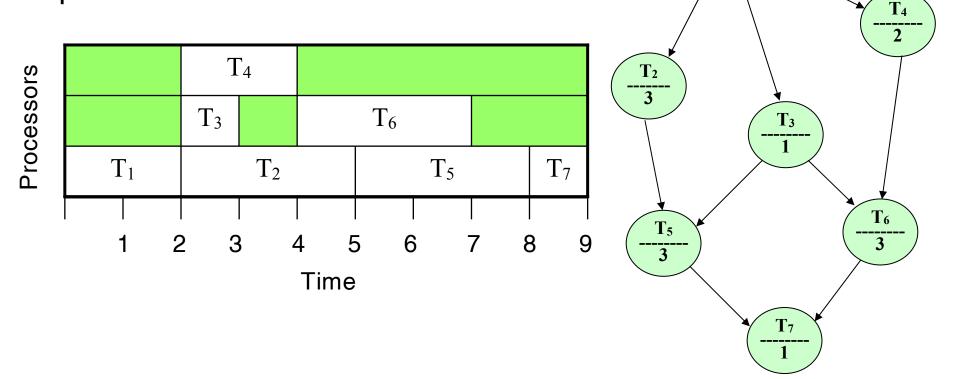
- A parallel program is a collection of tasks, some of which must be completed before others begin
- Deterministic model:
 - The execution time needed by each task and the precedence relations between tasks are fixed and known before run time

Task graph





 Gantt chart indicates the time each task spends in execution, as well as the processor on which it executes



 T_1

2



- If all of the tasks take unit time, and the task graph is a forest (i.e., no task has more than one predecessor), then a polynomial time algorithm exists to find an optimal schedule
- If all of the tasks take unit time, and the number of processors is two, then a polynomial time algorithm exists to find an optimal schedule
- If the task lengths vary at all, or if there are more than two processors, then the problem of finding an optimal schedule is NP-hard.

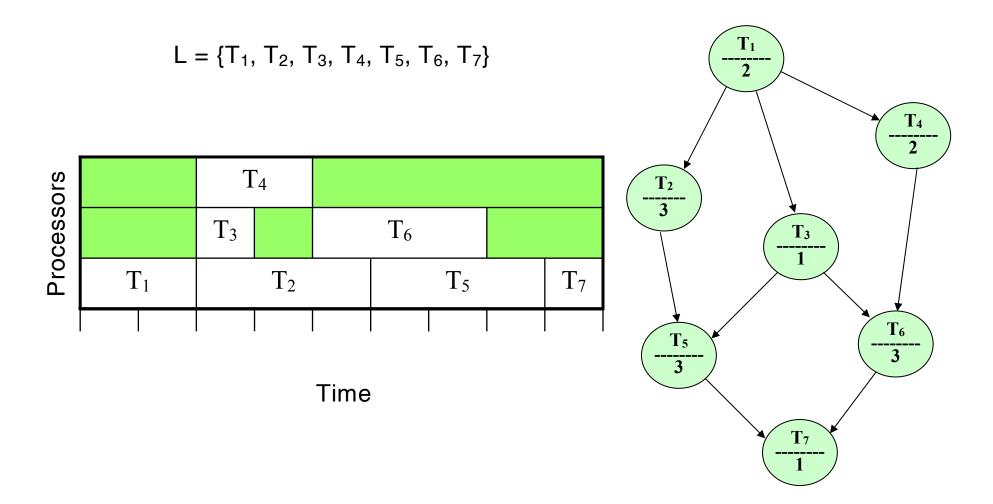


- $\Box \ \mathbf{T} = \{T_1, T_2, ..., T_n\}$
 - a set of tasks
- $\Box \ \mu: \mathbf{T} \to (0,\infty)$

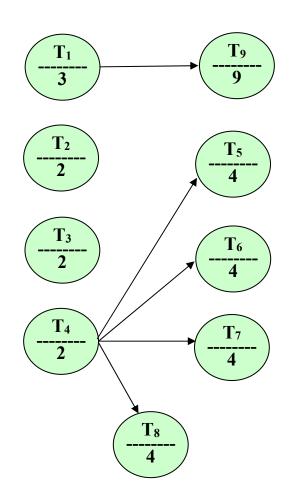
a function associates an execution time with each task

- □ A partial order < on **T**
- L is a list of task on T
- Whenever a processor has no work to do, it instantaneously removes from L the first ready task; that is, an unscheduled task whose predecessors under < have all completed execution. (The processor with the lower index is prior)

Graham's list scheduling algorithm - Example







T ₁		T ₉				
T ₂	T_4	T ₅	T ₇			
T ₃		T ₆	T ₈			

T ₁		Т	8						
T ₂	Т	5				T ₉			
T ₃	Т	6							
T ₄	Т	7							

 $L = \{T_1, T_2, T_3, T_4, T_5, T_6, T_7, T_8, T_9\}$

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Coffman-Graham's scheduling algorithm (1)

- Graham's list scheduling algorithm depends upon a prioritized list of tasks to execute
- Coffman and Graham (1972) construct a list of tasks for the simple case when all tasks take the same amount of time.

Coffman-Graham's scheduling algorithm (2)

- □ Let T = T₁, T₂,..., T_n be a set of n unit-time tasks to be executed on p processors
- □ If T_i < T_j, then task is T_i an immediate predecessor of task T_j, and T_j is an immediate successor of task T_i
- \Box Let S(T_i) denote the set of immediate successor of task T_i
- \Box Let $\alpha(T_i)$ be an integer label assigned to T_i .
- □ N(T) denotes the decreasing sequence of integers formed by ordering of the set { α (T')| T' ∈ S(T)}

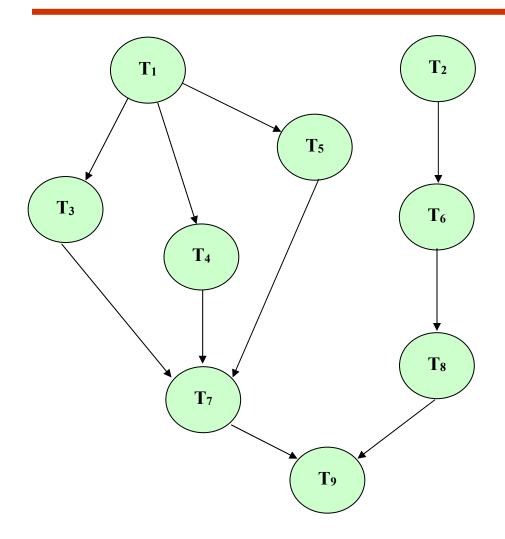
Coffman-Graham's scheduling algorithm (3)

- 1. Choose an arbitrary task T_k from **T** such that $S(T_k) = 0$, and define $\alpha(T_k)$ to be 1
- 2. for i \leftarrow 2 to n do
 - a. R be the set of unlabeled tasks with no unlabeled successors
 - b. Let T* be the task in R such that N(T*) is lexicographically smaller than N(T) for all T in R
 - c. Let $\alpha(T^*) \leftarrow i$

endfor

- 3. Construct a list of tasks L = {U_n, U_{n-1},..., U₂, U₁} such that $\alpha(U_i)$ = i for all i where 1 ≤ i ≤ n
- Given (T, ≺, L), use Graham's list scheduling algorithm to schedule the tasks in T

Coffman-Graham's scheduling algorithm – Example (1)



T ₂	T ₆	T ₄	T ₇	T ₉
T ₁	T ₃	T ₈		
	T 5			

Coffman-Graham's scheduling algorithm – Example (2)

Step1 of algorithm

task T₉ is the only task with no immediate successor. Assign 1 to $\alpha(T_9)$

Step2 of algorithm

- □ i=2: R = {T₇, T₈}, N(T₇)= {1} and N(T₈)= {1} \Rightarrow Arbitrarily choose task T₇ and assign 2 to α (T₇)
- □ i=3: R = {T₃, T₄, T₅, T₈}, N(T₃)= {2}, N(T₄)= {2}, N(T₅)= {2} and N(T₈)= {1} ⇒ Choose task T₈ and assign 3 to $\alpha(T_8)$
- □ i=4: R = {T₃, T₄, T₅, T₆}, N(T₃)= {2}, N(T₄)= {2}, N(T₅)= {2} and N(T₆)= {3} ⇒ Arbitrarily choose task T₄ and assign 4 to $\alpha(T_4)$
- □ i=5: R = {T₃, T₅, T₆}, N(T₃)= {2}, N(T₅)= {2} and N(T₆)= {3} ⇒ Arbitrarily choose task T₅ and assign 5 to α (T₅)
- □ i=6: R = {T₃, T₆}, N(T₃)= {2} and N(T₆)= {3} \Rightarrow Choose task T₃ and assign 6 to α (T₃)

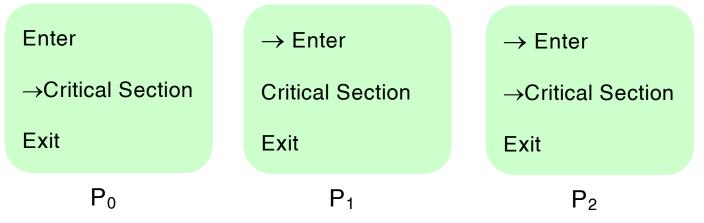
Coffman-Graham's scheduling algorithm – Example (3)

- □ i=7: R = {T₁, T₆}, N(T₁)= {6, 5, 4} and N(T₆)= {3} ⇒ Choose task T₆ and assign 7 to $\alpha(T_6)$
- □ i=8: R = {T₁, T₂}, N(T₁)= {6, 5, 4} and N(T₂)= {7} \Rightarrow Choose task T₁ and assign 8 to α (T₁)
- □ i=9: R = {T₂}, N(T₂)= {7} \Rightarrow Choose task T₂ and assign 9 to α (T₂)
- Step 3 of algorithm
 - $L = \{T_2, T_1, T_6, T_3, T_5, T_4, T_8, T_7, T_9\}$
- Step 4 of algorithm

Schedule is the result of applying Graham's list-scheduling algorithm to task graph **T** and list L



Preemption inside spinlock-controlled critical sections



- □ Cache corruption
- □ Context switching overhead



- Global queue
- □ Variable partitioning
- Dynamic partitioning with two-level scheduling
- Gang scheduling



- A copy of uni-processor system on each node, while sharing the main data structures, specifically the run queue
- Used in small-scale bus-based UMA shared memory machines such as Sequent multiprocessors, SGI multiprocessor workstations and Mach OS
- Autonamic load sharing
- □ Cache corruption
- Preemption inside spinlock-controlled critical sections



 Processors are partitioned into disjoined sets and each job is run only in a distinct partition

	Parameters taken into account						
Scheme	User request	System load	Changes				
Fixed	no	no	no				
Variable	yes	no	no				
Adaptive	yes	yes	no				
Dynamic	yes	yes	yes				

- Distributed memory machines: Intel and nCube hypercudes, IBM PS2, Intel Paragon, Cray T3D
- □ Problem: fragmentation, big jobs

Dynamic partitioning with two-level scheduling

- □ Changes in allocation during execution
- □ Workpile model:
 - The work = an unordered pile of tasks or chores
 - The computation = a set of worker threads, one per processor, that take one chore at time from the work pile
 - Allowing for the adjustment to different numbers of processors by changing the number of the wokers
 - Two-level scheduling scheme: the OS deals with the allocation of processors to jobs, while applications handle the scheduling of chores on those processors



- □ Problem: Interactive response times \Rightarrow time slicing
 - Global queue: uncoordinated manner
- □ Observartion:
 - Coordinated scheduling in only needed if the job's threads interact frequently
 - The rare of interaction can be used to drive the grouping of threads into gangs
- □ Samples:
 - Co-scheduling
 - Family scheduling: which allows more threads than processors and uses a second level of internal time slicing



- □ Co-scheduling
- □ Smart scheduling [Zahorijan et al.]
- □ Scheduling in the NYU Ultracomputer [Elter et al.]
- Affinity based scheduling
- Scheduling in the Mach OS



- Context switching between applications rather then between tasks of several applications.
- Solving the problem of "preemption inside spinlock-controlled critical sections".
- □ Cache corruption???



□ Advoiding:

(1) preempting a task when it is inside its critical section(2) rescheduling tasks that were busy-waiting at the time of their preemption until the task that is executing the corresponding critical section releases it.

- The problem of "preemption inside spinlock-controlled critical sections" is solved.
- □ Cache corruption???.



- Tasks can be formed into groups
- Tasks in a group can be scheduled in any of the following ways:
 - A task can be scheduled or preempted in the normal manner
 - All the tasks in a group are scheduled or preempted simultaneously
 - Tasks in a group are never preempted.
- In addition, a task can prevent its preemption irrespective of the scheduling policy (one of the above three) of its group.

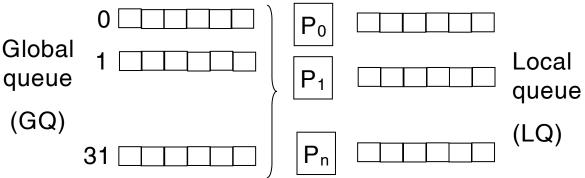


- Policity: a tasks is scheduled on the processor where it last executed [Lazowska and Squillante]
- □ Alleviating the problem of cache corruption
- □ Problem: load imbalance



□ Threads

- □ Processor sets: disjoin
- Processors in a processor set is assigned a subset of threads for execution.
 - Priority scheduling: LQ, GQ(0),...,GQ(31)



- LQ and GQ(0-31) are empty: the processor executes an special *idle* thread until a thread becomes ready.
- Preemption: if an equal or higher priority ready thread is present